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# **Arima Model to Predict the Prevalence of Diabetes Type 1 and Type 2 Patients: A Case Study of Jos University Teaching Hospital**

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*Authors' contributions*

*This work was carried out in collaboration among all authors. All authors read and approved the final manuscript.*

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# **Abstract**

Diabetes Mellitus is a huge burden for human health, increasing number of patient is likely to result in rising demand for the medical emergencies. Due to limited number of hospitals with standard laboratory test kits to differentiate between type 1 and type 2 diabetes it is important to forecast the future incidences and prepare with proper resource planning. The monthly number of Diabetes patients obtained from Jos University Teaching Hospital is fitted by autoregressive integrated moving average (ARIMA) model. Dataset starting

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from January, 2010 to December,2020. Using ARIMA, several models were evaluated based on the Bayesian Information Criterion (BIC) and Ljung-Box Q statistics. ARIMA(3, 1, 1) is found to be better and used to describe and predict the future trends of Diabetes type 1 and  $ARIMA(1,1,1)$  is a better model to predict the future prevalence of diabetes type 2. Therefore, the proposed model will help in the appropriate planning and allocation of resources for emergencies.

*Keywords: Diabetes; mellitus; hospital; ARIMA; statistics; forecasting; BIC.*

# **1 Introduction**

"Diabetes mellitus is chronic syndrome associated with long term complications to the brain, kidney, and the heart. There is destruction and loss of the s-cells of the pancreas causing insulin deficiency; it may also result from abnormalities arising from resistance to insulin. Symptoms of hyperglycemia include polydipsia, polyphagia polyuria, blurred vision, weight loss, generalized pruritus, neuropathy, retinopathy, etc. Life threatening consequences of uncontrolled diabetes include diabetes-ketoacidosis, lactic acidosis and hyperosmolar non-ketotic state" [1]. Diabetes is preceded by impaired fasting glucose (IFG) resulting in a pre-diabetic state which can exist undetected for many years, [2], causing irreversible damage to vital organs. Pre-diabetes is a practical term referring to Impaired Fasting Glucose (IFG), impaired glucose tolerance [3] or a glycosylated hemoglobin (A1c) of 6.0 to 6.4%, each of which places individuals at high risk of developing diabetes and it complications. "The World Health Organization criteria for diagnosing pre-diabetes are fasting plasma glucose level of between 6.1 and 6.9 mmol/l. A fasting plasma glucose level 7.0 mmol/l or more meets the criteria for the diagnosis of diabetes. Fasting value for venous and capillary plasma glucose are identical" [4].

*"Type1 diabetes* occur as a results of auto-immune beta-cell destruction in thePancreas characterized by a total absence of insulin production. Type 1 diabetes is responsible for 5% to 10% of all cases of diabetes. Associated risk factors include autoimmune, genetic, and environmental factors", [5].

*"Type2 diabetes* can be linked to be accounting for around 90 per cent of all cases, it is a chronic metabolic disorder, in which the body is unable utilize glucose from food because of the inability of the pancreas to produce insulin or produces insufficient insulin, or the insulin itself is inactive" [6].

*"Gestational diabetes* could be described as a form of glucose intolerance that affects some women during pregnancy. This kind of diabetes is triggered during pregnancy. Most gestational diabetes is resolved naturally after delivery, but 5-10 percent of women affected during pregnancy are later found to have diabetes, especially Type 2, after pregnancy".

*"Pre-diabetes* is described as a precursor condition to diabetes in which a person is experiencing elevated blood glucose levels but not yet up to diagnostic criteria for diabetes. People with pre-diabetes normally suffer from impaired fasting glucose or impaired glucose tolerance, or both. Prevention of diabetes mellitus disease requires" [6].

"There is an increasing prevalence of diabetes and pre-diabetes worldwide" [7]. "Over 5 million people suffer from the disease in Africa and the number is expected to skyrocket to 15 million by 2025", [7]. "In Nigeria the prevalence varies from 0.65% in rural Mangu village to 11.0% in urban Lagos" [8]. "With the incidence of diabetes in Africa, diabetic complications are also expected to rise proportionately" [9,10]. "This will undoubtedly pose serious health and economic problems. The disease affects many people under the age of 64 years in Africa as compared to the developed world where it affects many people over the age of 64 years" [9]. "In Nigeria the National prevalence of diabetes was 2.2%" [8]. In South Eastern Nigeria the overall prevalence of diabetes was 10.51% [11], whereas in South Western Nigeria the prevalence of diabetes ranges from 4.76% in Ile-Ife, Osun State to 11.0% in Lagos [8,7]. "Also 0.8% of diabetes mellitus, and 2.2% of Impaired Glucose Intolerance in Ibadan" [12]. This was comparable to WHO reported a prevalence of 2.8% in Ibadan [13], and 6.8% in Port Harcourt, Nigeria [14]. In 2004, a survey in Jos [14] reported a prevalence of 10.3%. [14] reported "a prevalence of 2.2% in Port Harcourt in 2003". A prevalence of 4.7% was reported by [15] which was higher than the national prevalence of 2.2% reported by [7]. A review of studies on the prevalence of diabetes in adults in Africa [16] demonstrated a rising prevalence across the continent.

"Time series analysis is one of the quantitative methods which can effectively predict the future incidence of communicable diseases and epidemiological trends using previously observed data and time variables", [17]. "This analysis deals with time dependent variables with an advantage of being not necessary to consider the influence of intricate factors" [18,19].

"Time series methods have been widely used to analyzed infectious diseases' surveillance data in recent decades, including data for sexually transmitted diseases. Different time series models were used to forecast the epidemic behaviour in previous study" [20]. "For example, decomposition methods were used to forecast nine notifiable infectious diseases in China" [21]. Autoregressive Integrated Moving Average Models (ARIMA) are widely applied in infection time series modelling including tuberculosis [22], typhoid fever [20], gonorrhoea [23] and hepatitis [24]. "The Autoregressive conditional heteroscedasticity and generalized autoregressive conditional heteroscedasticity models have been used to investigate the risk factors associated with syphilis", [25]. Seasonal Autoregressive Integrated Moving Average (SARIMA) model has been increasingly favoured and successfully used in the prediction of communicable diseases, such as dengue [26], tuberculosis [27], mumps [19] and others [27-29]. "According to the International Diabetes Federation (IDF), there were 463 million adults with diabetes worldwide in 2019, an average of 1 in 11 adults. Furthermore, there were 4.2 million individuals who died from diabetes and its complications, accounting for about 11.3% of all global deaths" [30]. "Another study reported that there were 67.9 million disability-adjusted life years (DALYs) attributable to diabetes globally in 2017. In the global ranking of DALYs caused by disease, DALYs caused by diabetes ranks ninth for females and eighth for males" [31–33]. "In addition, alongside changes in dietary structure and irregular living habits in modern society over recent years, the incidence, morbidity, and mortality of incidence has shown an increasing trend year by year" [34]. "According to the tenth edition of the Diabetes Map released by the IDF, there were 537 million patients in diabetes globally in 2021, accounting for 10.5% of the global population. Compared with data reported in the ninth edition of the Diabetes Map, the prevalence rate of diabetes increased by 12.9% overall. The number of diabetic patients is expected to reach 578 million by 2030, and estimated to reach 783 million worldwide by 2045" [35]. "The control and treatment of this disease requires substantial medical resources" [36]. "Other studies have shown that DALYs increased by 30.0% from 2007 to 2017, years of life lost (YLL) increased by 29.9%, and years lived with disability (YLD) increased by 30.1%" [31–33]. "Moreover, the economic expenditure related to diabetes globally was substantial, reaching 1054 billion dollars by 2045" [37]. "The widespread prevalence of diabetes has brought huge burden to the social and economic development of the world, and the situation is not optimistic. Diabetes has become a global public health problem. How we can effectively treat diabetes, slow down the occurrence of complications, and greatly improve the life quality of patients, have become critical medical problems that needed to be solved urgently" [37].

"Over recent years, numerous models have been used to assess and predict the disease burden associated with diabetes. The main model used to assess disease burden is the linear regression model" [38]. For example, the Global Burden of Disease (GBD) 2019 Dementia Prediction Collaborative Group [38] used a linear regression model to investigate changes in the global prevalence of dementia. Li [39] used "a linear regression model to evaluate the disease burden associated with esophageal cancer. Many models have been used for disease burden; the most common models are the age-period-cohort (APC) model and the time series model". Ji [40] used "the APC model to predict the incidence of hepatitis B in males and females of specific age groups". In another study, Akita [41] used "the APC model to predict the mortality associated with hepatocellular carcinoma and recapitulated the observed mortality". Zheng [42] explored "the feasibility of using the auto-regressive integrated moving average model (ARIMA) and the Elman neural network model to predict the incidence of hepatitis B". Ceylan [43] used "the ARIMA model to predict the prevalence trend of COVID-19 in the three countries most affected by COVID-19 in Europe, including Spain, Italy, and France". In another study, Fu [44] used "the exponential smoothing model (ES) model to predict the incidence of acute upper gastrointestinal bleeding. However, no previous study has applied these models to assess and predict the disease burden related to diabetes. This study aimed to complement and refine this aspect of analysis by applying these common and reliable models".

"Accurate disease burden data is an important basis for scientific development and the timely adjustment of health policies and strategies. Such data can contribute to the development of clear prevention and control priorities, and help to evaluate the efficacy of measures. Some studies have examined the disease burden associated with diabetes in specific regions. These studies found that although the mortality rate associated with

diabetes was declining, the burden of diabetes was still increasing" [45]. "Other studies showed that the impact of diabetes on cancer was increasing" [46].

Different models have been used in the analysis of diabetes but there are few of such in the study areas and none has considered the types of diabetes. Hence, this research is aimed at developing a model that will forecast the prevalence of diabetes type 1 and type 2 using secondary data by selecting the best fit models to predict the trends of diabetes type1 and type2 diabetes and forecasting diabetes type 1 and type 2 in the next 5 years using the selected models.

# **2 Materials and Methods**

**Autoregressive (AR) Model:** An Autoregressive (AR) model of order P satisfied the following

$$
x_{t} = \mu + \sum_{k=1}^{p} \phi_{kk} x_{t-k} + \varepsilon_{t}
$$
  
\n
$$
x_{t} = \mu + \phi_{11} x_{t-1} + \phi_{22} x_{t-2} + \dots + \phi_{pp} x_{t-n} + \varepsilon_{t}
$$
  
\n... ... ... (3.1)

For t=0 where  $\varepsilon_t = 0$ 

For  $n>0$  where the errorterm  $\varepsilon_k>0$ , is a series of independently, identically distributed (i.i.d) random variables and assumed to be normally distributed and  $\mu$  is some constant. The p denotes the order of autoregressive model, defining how many previous values the current value is related to. The model is called autoregressive because the series is regressed on to past values of itself. The error term  $\varepsilon_t$  in equation (3.1) refers to the noise in the time series. Above, the errors were said to be independently identically distributed. Commonly, they are also assumed to have a normal distribution with mean zero and variance  $\sigma^2$ . For the model in equation (3.1) to be of use in practice, the estimator must be able to estimate the value of  $\varphi_k$ 

**Moving Average (Ma) Model:** An Autoregressive moving Average of order q is given as

$$
x_{t} = \mu + \sum_{j=1}^{q} \theta_{j} x_{t-j} + \varepsilon_{t}
$$
  

$$
x_{t} = \mu + \theta_{11} x_{t-1} + \theta_{22} x_{t-2} + \dots + \theta_{pp} x_{t-q} + \varepsilon_{t}
$$
  
... ... ... ... .3.2

For t=0 where  $\varepsilon_t = 0$ 

The error (or noise) term in this equation is the one step ahead forecasting error which can be expressed as a function of previous forecasting errors. It shows that MA (q) models make forecast based on the error made in the past, and so one can learn from the error made in the past to improve current forecast.

**Autoregressive Moving Average (ARMA) Models:** This is Autoregressive Component of order p and Moving Average Component of order q. In a situation where AR (q) and MA(p) were not able to solve the case at hand, a combination of the two produces another interesting model known as Autoregressive moving average (ARMA)(p, q) model where p is the number autoregressive component and q is the number of moving average component. This model is as presented as follows

The Form ARMA (p, q) model is given by the equation

$$
x_{t} - \phi_{11}x_{t-1} - \phi_{22}x_{t-2} - \phi_{33}x_{t-3} - \cdots - \phi_{p}x_{t-p} = \varepsilon_{t} - \phi_{11}x_{t-1} - \phi_{22}x_{t-2} - \phi_{33}x_{t-3} - \cdots - \phi_{p}x_{t-p}
$$

Where  $\phi'$  s (phis)are the autoregressive parameters to be estimated, the  $\theta'$ s(thetas) are the moving average parameters to be estimated the  $x's$  are the original time series values and the  $\varepsilon's$  a residuals or errors which are assumed to follow the normal probability distribution.

In order to make the writing of model easier, Box-Jenkins use the backshift operator. The backshift operator*B*  can change the time period *t* to time period *t* - 1. For example,  $BY_t = Y_{t-1}I$ ,  $B^2Y_t = Y_{t-2}$  and so on.

So the above model can be rewritten as:

$$
(1 - \varphi_1 B - \dots - \varphi_p B^p)X_t = (1 - \theta_1 B - \dots - \theta_q B^q)\varepsilon_t
$$
 .... ... .... ... .... ... 3.4

Further can be abbreviated as:

$$
\varphi_p(B)X_t = \theta_q(B)\varepsilon_t
$$

where  $\phi_p(1-\phi_1B-\cdots-\phi_pB^p)$  and  $\theta_q(1-\theta_1B-\cdots-\theta_qB^q)$ 

**Autoregressive Integrated Moving Average (ARIMA) Model: "**In statistics, ARIMA(pdq) models, sometimes called the Box-Jenkins models after the iterative Box- Jenkins methodology usually used to estimate them, are typically applied to time series data for forecasting. Given a time series of data  $X_{t-1}$ ,  $X_{t-2}$ ,  $X_2$ ,  $X_1$ , the ARIMA model is a tool for understanding and, perhaps, predicting future values in the series. The model consists of three parts: an Autoregressive (AR) part, a moving Average (MA) part and the differencing part. The model is usually then referred to as the ARIMA (p, d, p) model where p is the order of the Autoregressive part, d is the order of differencing and q is the order of the moving Average part", [47].

"However, it is impossible to have the data always stationary. Therefore, to make the process we have to do differencing in non-stationary series so the differenced series $(1 - B)^d X_t$  must be add in the process ARMA (*p*, *q*). Where the  $a_t$  is a sequence of identically distributed uncorrelated deviates, referred to as "white noise. In many situations where differencing is employed, a non-zero constant term will not be required" [48]. For brevity, the equation is generally written as:

$$
\varphi_p(B)(1-B)^d X_t = \theta_0 + \theta_q(B)\varepsilon_t \tag{3.6}
$$

Where

$$
X_t = a_t + \sum_{k=1}^p \emptyset_t X_{t-1} + \varepsilon_t + \sum_{j=1}^q \theta_t \varepsilon_{t-1}
$$

and $(1 - B)^d X_t$  is a differenced series and  $\varepsilon_t$  's is a sequence of identically distributed uncorrelated deviates, referred to as "white noise".

#### **2.1 Forecasting using Arima model**

After describing various time series models, the next issue to our concern is how to select an appropriate model that can produce accurate forecast based on a description of historical pattern in the data and how to determine the optimal model orders. Statisticians George Box and Gwilym Jenkins developed a practical approach to build ARIMA model, which best fit to a given time series and also satisfy the parsimony principle. Their concept has fundamental importance on the area of time series analysis and forecasting. In this section we will consider the Box Jenkins model building techniques, these consist of the following four steps:

**Preliminary Transformation:** If the data shows characteristics violating the stationarity assumption, then it may be necessary to make a transformation so as to produce a series compatible with the assumption of stationarity. After appropriate transformation, if the sample autocorrelation function appears to be nonstationary, differencing may be carried out.

**ModelIdentification:** "if  $\{yt\}$  is the stationary series obtained in step 1, the problem at the identification stage is to find the most satisfactory ARIMA (p,q) model to represent  $\{yt\}$ " [49]. Determined the integer parameters  $(p,q)$  that governs the underlying process  $\{ yt \}$  by examining the autocorrelations function (ACF) and partial autocorrelations (PACF) of the stationary series.

**Estimation of the model**: This deal with estimation of the tentative ARIMA model identified in step 2. In this study, we use the Statistical PackageSocial Sciences (SPSS 25) software to estimate the coefficient.

**Diagnostic Checking:** Having chosen a particular ARIMA model, and having estimated its parameters, the adequacy of the model is checked by analyzing the residuals. If the residuals are white noise; we accept the model, else we go to preliminary transformation stage again and start over.

# **3 Results and Discussion**

#### **3.1 Model for type 1 diabetes**

**Model Identification:** The monthly Diabetes type 1 recorded in Jos University Teaching Hospital from 2010- 2020 is plotted in the Fig. 1.The data display trends, which indicate that the mean is not stationary. However, it is necessary to check variance stationarity first.



#### **Fig. 1. Monthly number of diabetes type 1 patients from Jos university teaching hospital (January 2010- December 2020)**

#### **3.2 Test for stationarity of the variance**

It is necessary to check the stationarity of the variance. We can use Shapiro-Wilk and Kolmogorov-Smirnov for the normality test. According to the result providing in Table 1, we can conclude that the variance was not constant (*p*-value < 0.05). This problem can be corrected by a first-degree order of differentiation.

Further, to make the mean stationary, first order differencing is used. The monthly diabetes type 1 data with first order differencing is plotted in the Fig. 2. Notice that the differenced series is mean stationary and constant variance.

### **3.3 Graphical representation of autocorrelations**

"From the ACF plots below (Fig. 3), the value of its function is less than one. The parameter of any given function is less than one; it means that there is stationarity. Further the plot decays to zero on the both sides of the mean. From the Fig. 3 it can be concluded that an appropriate model is moving average process of order 1" [48].





Transforms: difference(1)





#### **Fig. 3. Sample ACF plots of monthly transformed Diabetes type1 data after first differencing**

Observing the plots of ACF and PACF plot above, it could be noticed that the ACF displays the sharper cuts off compared to the PACF. According to the PACF plot in Fig. 4, we use the autoregressive process of order 3, i.e., AR(3).

#### **3.4 Parameter estimation**

Four models are chosen and tested to find a model with good fit. These models include  $ARIMA(1,1,0)$ , ARIMA(2,1,0),ARIMA(3,1,0), and ARIMA(3,1,1)

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**Fig. 4. Sample PACF plot of monthly transformed Diabetes type1 data after first differencing**



**Fig. 5. Residual plots for ACF and PACF after estimating ARIMA (1,1,0)**



**Fig. 6. The residual plots of ACF and PACF after estimating ARIMA (2,1,0)**



#### **Table 1. Shows the model summary of ARIMA (1,1,0)**

#### **Table 2. ARIMA model parameters of ARIMA (1,1,0)**





#### **Table 3. Shows the model summary of ARIMA(2,1,0)**

#### **Table 4. ARIMA Model Parameters ARIMA(2,1,0)**

					<b>Estimate</b>	SЕ		Sig.
<b>DIABETIC PATIENTS-</b>	<b>DIABETIC</b>	$NoT_1$ Transformation	.`onstant		$-.077$	.393	$-.055$	.956
Model_1	<b>PATIENTS</b>		AR	Lag 1	$-.503$	.079	$-6.371$	.000
				Lag 2	-.461	.078	$-5.882$	.000
			Difference					

**Table 5. Shows the model summary of ARIMA (3,1,0)**





**Table 6. ARIMA Model Parameters of ARIMA (3,1,0)**

**Fig. 7. Shows the residual plots of ACF and PACF after estimating ARIMA(3,1,0)**



**Fig. 8. Residual plots of ACF and PACF after estimating ARIMA (3,1,1)**

Based on the Ljung-Box Q statistics, the models with significant p-values are selected and shown in Table 9 below. The resultant BIC providing in Table 10 shows that the most appropriate model to fit diabetes type 1 patients' data is ARIMA (3, 1, 1).

#### **3.5 Diagnostic checking and parameter estimation**

"Diagnostic checking is also known as the verification. It is to do with the testing of the goodness of fit test statistics of a model. We study the ACF and PACF of the residual plot to see it is white noise. If all the autocorrelation and partial correlation are small then the model is working fine but if some of the autocorrelations are large, the values of *p* or *q* are adjusted and the model is re-estimated. The checking of residuals and adjusting the values of  $p$  and  $q$  continues until the resulting residuals contain no additional Structure" [48].

<b>Model Fit</b>											
<b>Fit Statistic</b>	<b>Mean</b>	<b>SE</b>	<b>Minimum</b>	<b>Maximum</b>	Percentile						
						10	25	50	75	90	95
<b>Stationary R-</b>	.455		.455	.455	.455	.455	.455	.455	.455	.455	.455
squared											
R-squared	$-.009$		$-.009$	$-.009$	$-.009$	$-.009$	$-.009$	$-.009$	$-.009$	$-.009$	$-.009$
<b>RMSE</b>	27.832		27.832	27.832	27.832	27.832	27.832	27.832	27.832	27.832	27.832
<b>MAPE</b>	29.653		29.653	29.653	29.653	29.653	29.653	29.653	29.653	29.653	29.653
MaxAPE	349.071		349.071	349.071	349.071	349.071	349.071	349.071	349.071	349.071	349.071
MAE	21.432		21.432	21.432	21.432	21.432	21.432	21.432	21.432	21.432	21.432
MaxAE	80.625		80.625	80.625	80.625	80.625	80.625	80.625	80.625	80.625	80.625
Normalized BIC	6.838		6.838	6.838	6.838	6.838	6.838	6.838	6.838	6.838	6.838

**Table 7. Model Summary of ARIMA (3,1,1)**

#### **Table 8. ARIMA model parameters of ARIMA(3,1,1)**









#### **Table 10. Competitive models for the monthly diabetes patients**

Form Fig. 8 the sample ACF and PACF of the model shows that the autocorrelations of the residual are all close to zero which mean they are uncorrelated, hence the residual assume mean of zero and constant variance. Finally, the p-value (0.480) for the Ljung-Box statistic clearly exceeds 5% for all lag orders. Thus, the selected model ARIMA (3, 1, 1) satisfies all the model assumptions.

#### **3.6 Forecasting using ARIMA (3, 1, 1)**

The forecast values with 95 percent forecast limit of the ARIMA (3, 1, 1) of model for monthly diabetesPatients are shown in Table 16 with standard error, lower and upper limit and its actual forecasted values.



**Fig. 9. Forecast chat of ARIMA (3,1,1)**

### **3.7 Model for type 2 diabetes**

**Model Identification:** The monthly Diabetes type 2 recorded in Jos University Teaching Hospital from 2010- 2020 is plotted in the Fig. 13. The data plot display trends, which indicates that the mean is not stationary. This can be corrected by first order differentiation.



**Fig. 10. Monthly number of diabetes type 2 patients fromJos University Teaching Hospital (January 2010- December 2020)**



Transforms: difference(1)

**Fig. 11. Time series plot of Diabetes patients after the first differencing**

**Graphical Representation of Autocorrelations:** From the ACF plots below (Fig. 15), the value of its function is less than one. The parameter of any given function is less than one; it means that there is stationarity.

The plot shows a slight negative spike at lag 13 and there is no other spikes showing that it is over differenced. Further the plot decays to zero on the both sides of the mean.

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**Fig. 12. Sample ACFplot of monthly Diabetes type2 Data after first differencing.**





**Parameter Estimation:** Four models are chosen and tested to find a model with good fit. These models include ARIMA (1,1,1), ARIMA (1,1,0), ARIMA (0,1,1), and ARIMA (0,1,0).

					<b>Estimate</b>	SЕ		Sig.
<b>DIABETE</b>	<b>DIABETES</b>	No		Constant	.290	.207	1.401	.164
S TYPE 2-	TYPE 2	<b>Transformation</b>	AR	Lag 1	.553	.084	6.568	.000
Model 1				<b>Difference</b>				
			MA	Lag 1	.999	.644	.551	.123

**Table 11. ARIMA model parameters**





**Fig. 14. Residual plots of ACF and PACF after estimating ARIMA (1,1,1)**



**Fig. 15. Residual plots of ACF and PACF after estimating ARIMA (0,1,1)**

Based on the Ljung-Box Q statistics, the models with significant p-values are selected and shown in Table 18 below. The resultant BIC providing in Table 19 shows that the most appropriate model to fit diabetes type 2 patients' data is ARIMA (1, 1, 1).



#### **Table 12. Model Fit of ARIMA (0,1,1)**

#### **Table 13. Model Parameters of ARIMA (0,1,1)**



# **Table 14. Model fit ARIMA(1,1,0)**



*Source:spss*



**Table 15. ARIMA model parameters of ARIMA(1,1,0)**





**Fig. 17. Residual plots of ACF and PACF after estimating ARIMA (0,1,0)**



#### **Table 16. Model Fit of ARIMA(0,1,0)**

#### **Table 17. Model Parameters of ARIMA(0,1,0)**



<b>Models</b>	Q-statistics	P-value
ARIMA(1,1,1)	24.311	. 083
ARIMA(0,1,1)	34.899	.006
ARIMA(1,1,0)	41.814	.001
ARIMA(0,1,0)	41.991	.001

**Table 18. Competitive models for the monthly diabetes type 2 patients based on the Ljung-Box Q statistics test**

<b>Fit statistic</b>	<b>ARIMA(1,1,1)</b>	ARIMA(0,1,1)	ARIMA(1,1,0)	ARIMA(0,1,0)
<b>Stationary R-square</b>	.215	.092	.047	.000
R-square	.306	.197	.157	.116
<b>RMSE</b>	37.114	39.755	40.741	41.562
<b>MAPE</b>	30.204	31.745	31.491	32.512
<b>MaxAPE</b>	1107.781	1159.469	1160.286	1152.385
<b>MAE</b>	26.553	27.847	27.415	27.970
Normalized BIC	7.340	7.440	7.489	7.492

**Table 19. Competitive models for the monthly diabetes type 2 patients**

#### **3.8 Diagnostic checking and parameter estimation**

Form Fig. 14 the sample ACF and PACF of the model shows that the autocorrelations of the residual are all close to zero which mean they are uncorrelated, hence the residual assume mean of zero and constant variance. Finally, the p-value (0.83) for the Ljung-Box statistic clearly exceeds 5% for all lag orders. Thus, the selected model ARIMA (1, 1, 1) satisfies all the model assumptions.

#### **3.8.1 Forecasting using ARIMA (1, 1, 1)**

The forecast values with 95 percent forecast limit of the ARIMA (1, 1, 1) of model for monthly diabetes type 2 Patients are shown in Fig. 18 with lower and upper limit and its actual forecast.



**Fig. 18. Forecast chat of ARIMA(1,1,1)**

# **4 Conclusion**

In this research, Diabetes type 1 and type 2 patients were studied using the ARIMA modeling and forecasting method. Box-Jenkins was used to study the monthly Diabetes type 1 and type 2 patients records in Jos University Teaching Hospital for the period of January 2010 to December 2020. The purpose of this research work is to forecast the monthly diabetes type 1 and type 2 cases for the coming period of January 2020 to December 2025. The results also show the forecast for next five years.List of tentative ARIMA models are developed based on the Ljung-Box Q statistic test, BIC and after testing the significant of the estimated parameters, ARIMA(3, 1, 1) model was seen best fit for forecasting the Diabetes type 1 patient and ARIMA(1,1,1) was best fit for forecasting diabetes type 2 patients.The study came out with two betterfit models for predicting the prevalence of diabetes type 1 and type 2 recorded in Jos Plateau state,these models are  $ARIMA(3,1,1)$  for type 1 and  $ARIMA(1,1,1)$  for type2. The forecast of these models shows that both diabetes type 1 and type2 increase gradually over time, this will give researchers and health workers information on the prevalence of diabetes type 1 and type 2.Therefore, the proposed model will help to plan appropriately and allocate resources for emergency.

# **Competing Interests**

Authors have declared that no competing interests exist.

# **References**

- [1] Diabetes Care. 2006;29:S43-S48. Available:Carediabetesjournals.org
- [2] Nathan DM, Davidson MB, DeFronzo RA, Heine RJ, Henry RR, Pratley R, Zinman B. Impaired fasting glucose and impaired glucose tolerance: Implications for care. Diabetes Care. 2007;30:753–759.
- [3] Ronald G, Zubin P. Definition, classification and diagnosis of diabetes, pre-diabetes and metabolic syndrome. CDA Clinical Practice Guidelines Expert Committee. 2013;37:S8–S11.
- [4] World Health Organization, WHO; 2019.
- [5] Deshpande AD, Harris-Hayes M, Schootman M. Epidemiology of diabetes and Diabetes-Related complications.Diabetes Special Issue. Physical Therapy. 2008;88(11):1255.
- [6] Naemiratch B, Manderson L. Lay Explanations of Type 2 Diabetes in Bangkok, Thailand. Anthropology & Medicine. 2007;14(1):83.
- [7] International Diabetes Federation, IDF; 2007.
- [8] Akinkugbe OO. (Ed.). Final report of national survey on non-communicable diseases in Nigeria series 1. Lagos: Federal Ministry of Health and Social Services; 1997.
- [9] Wild S, Roglic G, Green A, Sicree R, King H. Global prevalence of diabetes: Estimates for the year 2000 and projections for 2030. Diabetes Care. 2004;27:1047–1053.
- [10] Zimmet P. The burden of type 2 diabetes: Are we doing enough? Diabetes & Metabolism. 2003;29:659– 681.
- [11] Chris EE, Akpan UP, John OI, Daniel EN. Gender and age specific prevalence and associated risk factors of Type 2 Diabetes Mellitus in Uyo metropolis, South Eastern Nigeria. Diabeto logical Croatica. 2012;41:17–28.
- [12] Olatunbosun ST, Ojo PO, Fineberg NS, Bella AF. Prevalence of diabetes mellitus and impaired glucose tolerance in a group of urban adults in Nigeria. Journal of the National Medical Association. 1998;90:293–301.
- [13] Owoaje EE, Rotimi CN, Kaufman JS, Tracy J, Cooper RS. Prevalence of adult diabetes in Ibadan, Nigeria. East African Medical Journal. 1997;74:299–302.
- [14] Nyenwe EA, Odia OJ, Ihekwaba AE, Ojule A, Babatunde S. Type 2 diabetes in adult Nigerians: A study of its prevalence and risk factors in Port Harcourt, Nigeria. Diabetes Research and Clinical Practice. 2003;62:177– 185.
- [15] Lucia YO, Prisca OA. Type 2 diabetes mellitus and impaired fasting plasma glucose in Urban South Western Nigeria. International Journal of Diabetes and Metabolism. 2012;21:9–12.
- [16] Unwin N, Sobugwi E, Alberti KGMM. Type 2 diabetes: The challenge of preventing a global epidemic. Diabetes International. 2001;11:4–8.
- [17] Zeng Q, et al. Time series analysis of temporal trends in the pertussis incidence in Mainland China from 2005 to 2016. Scientific Reports. 2016;6:32367.
- [18] Wang K, et al. The use of an autoregressive integrated moving average model for prediction of the incidence of dysentery in Jiangsu, China. Asia-Pacific Journal of Public Health. 2016;28:336–346.
- [19] Xu Q, et al. Forecasting the incidence of mumps in Zibo city based on a SARIMA model. International Journal of Environmental Research and Public Health. 2017;14:925.
- [20] Zhang X, Zhang T, Young AA, Li X. Applications and Comparisons of Four Time Series Models in Epidemiological Surveillance Data. PLoS ONE. 2014;9(2):e88075. DOI: 10.1371/journal.pone.0088075 PMID: 24505382.
- [21] Zhang X, Liu Y, Yang M, Zhang T, Young AA, Li X. Comparative Study of Four Time Series Methods in Forecasting Typhoid Fever Incidence in China. PLoS ONE. 2013;8(5):e63116. DOI: 10.1371/journal.pone.0063116 PMID: 23650546.
- [22] Rios M, Garcia JM, Sanchez JA, Perez D. A statistical analysis of the seasonality in pulmonary tuberculosis. Eur J Epidemiol. 2000;16(5):483–8. PMID: 10997837.
- [23] Dowell D, Tian LH, Stover JA, Donnelly JA, Martins S, Erbelding EJ, et al. Changes in Fluoroquinolone Use for Gonorrhea Following Publication of Revised Treatment Guidelines. Am J Public Health. 2011;102(1):148–55. DOI: 10.2105/ajph.2011.300283 PMID: 22095341.
- [24] Ture M, Kurt I. Comparison of four different time series methods to forecast hepatitis A virus infection. Expert Systems with Applications. 2006;31(1):41–6.
- [25] Williams K. Investigating Risk Factors Associated with Syphilis Rate in the United States Based on ARIMA and ARCH/GARCH Time Series Models.
- [26] Martinez EZ, Silva EA, Fabbro AL. A SARIMA forecasting model to predict the number of cases of dengue in Campinas, State of Sao Paulo. Brazil. Revista da Sociedade Brasileira de Medicina Tropical. 2011;44:436–440.
- [27] Zheng YL, et al. Forecast model analysis for the morbidity of tuberculosis in Xinjiang, China. PLoS One. 2015;10:e116832.
- [28] Peng Y, et al. Application of seasonal auto-regressive integrated moving average model in forecasting the incidence of hand-foot-mouth disease in Wuhan, China. Journal of Huazhong University of Science and Technology-Medical Sciences. 2017;37:842–848.
- [29] Song X, et al. Time series analysis of influenza incidence in Chinese provinces from 2004 to 2011. Medicine (Baltimore). 2016;95:e3929.
- [30] Lemieux I. Reversing type 2 diabetes: The time for lifestyle medicine has come! Nutrients. 2020;12(7):1974. Available:https:// doi. org/ 10.3390/ nu120 71974
- [31] GBD 2017 Disease and Injury Incidence and Prevalence Collaborators. Global, regional, and national incidence, prevalence, and years lived with disability for 354 diseases and injuries for 195 countries and territories, 1990–2017 a systematic analysis for the global burden of disease study 2017. Lancet. 2018;392(10159):1789–858.
- [32] GBD 2017 Causes of Death Collaborators. Global, regional, and national age-sex-specific mortality for 282 causes of death in 195 countries and territories, 1980–2017: A systematic analysis for the global burden of disease study 2017. Lancet. 2018;392(10159):1736–88.
- [33] GBD 2017 DALYs and HALE Collaborators. Global, regional, and national disability-adjusted life-years (DALYs) for 359 diseases and injuries and healthy life expectancy (HALE) for 195 countries and territories, 1990–2017: A systematic analysis for the global burden of disease study 2017. Lancet. 2018;392(10159):1859–922.
- [34] Harding JL, Pavkov ME, Magliano DJ, et al. Global trends in diabetes complications: A review of current evidence. Diabetologia. 2019;62(1):3–16.
- [35] Saeedi P, Petersohn I, Salpea P, et al. Global and regional diabetes prevalence estimates for 2019 and projections for 2030 and 2045: Results from the international diabetes federation diabetes Atlas, 9(th) edition. Diabetes Res Clin Pract. 2019;157:107843.
- [36] Wong CKH, Jiao F, Tang EHM, et al. Direct medical costs of diabetes mellitus in the year of mortality and year preceding the year of mortality. Diabetes Obes Metab. 2018;20(6):1470–8.
- [37] Sun H, Saeedi P, Karuranga S, et al. IDF diabetes atlas: global, regional and country-level diabetes prevalence estimates for 2021 and projections for 2045. Diabetes Res Clin Pract. 2022;183:109119. Available:https:// doi. org/ 10. 1016/j. diabr es. 2021. 109119
- [38] GBD 2019 Dementia Forecasting Collaborators. Estimation of the global prevalence of dementia in 2019 and forecasted prevalence in 2050: an analysis for the global burden of disease study 2019. Lancet Public Health. 2022;7(2):e105–25.
- [39] Li S, Chen H, Man J, et al. Changing trends in the disease burden of esophageal cancer in China from 1990 to 2017 and its predicted level in 25 years. Cancer Med. 2021;10(5):1889–99.
- [40] Ji W, Xie N, He D, et al. Age-period-cohort analysis on the time trend of hepatitis B incidence in four prefectures of southern xinjiang, China from 2005 to 2017. Int J Environ Res Public Health. 2019;16(20):3886. Available:https:// doi. org/ 10. 3390/ ijerp h1620 3886
- [41] Akita T, Ohisa M, Kimura Y, et al. Validation and limitation of age-period-cohort model in simulating mortality due to hepatocellular carcinoma from 1940 to 2010 in Japan. Hepatol Res. 2014;44(7):713–9.
- [42] Zheng Y, Zhang L, Zhu X, et al. A comparative study of two methods to predict the incidence of hepatitis B in guangxi, China. PLoS One. 2020;15(6):e0234660.
- [43] Ceylan Z. Estimation of COVID-19 prevalence in Italy, Spain, and France. Sci Total Environ. 2020;729:138817. Available:https:// doi. org/ 10.1016/j. scito tenv. 2020. 138817
- [44] Fu Z, Xi X, Zhang B, et al. Establishment and evaluation of a time series model for predicting the seasonality of acute upper gastrointestinal bleeding. Int J Gen Med. 2021;14:2079–86.
- [45] Li Y, Guo C, Cao Y. Secular incidence trends and effect of population aging on mortality due to type 1 and type 2 diabetes mellitus in China from 1990 to 2019: findings from the global burden of disease study 2019. BMJ Open Diabetes Res Care. 2021;9(2):e002529. Available:https:// doi. org/ 10. 1136/ bmjdrc- 2021- 002529
- [46] Gallagher EJ, LeRoith D. Obesity and diabetes: The increased risk of cancer and cancer-related mortality. Physiol Rev. 2015;95(3):727–48.
- [47] Uzuke CA, 0biora-Ilouno HO, Eze FC, Daniel J. Time series Analysis of All Shares Index of Nigerian Stock Exchange: A Box-Jenkin Approach. 2016;6:25-26.
- [48] Singye T, Unhapipat S. Time series analysis of diabetes patients: A case study of Jigme Dorji Wangchuk National Referral Hospital in Bhutan. In Journal of Physics: Conference Series. IOP Publishing. 2018 Jun 1;1039(1):012033.
- [49] Box GP, Jenkins GM. Time series analysis: Forecasting and control, San Francisco, Calif, Holden Day; 1976. \_

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